Ţ.		
ÅG	AG AG AG AG AG AG	\triangle
Cod	le No: 133BQ R16	
	JAWAHARLAL NEHRU TECHNOLOGICAL UNIVERSITY HYDERABAD B. Tech II Year I Semester Examinations, November/December - 2018	
,	SIGNALS AND STOCHASTIC PROCESS	Λ
A Tim	(Common to ECE, ETM) Max. Marks: 75	
Note	e: This question paper contains two parts A and B.	
	Part A is compulsory which carries 25 marks. Answer all questions in Part A. Part B consists of 5 Units. Answer any one full question from each unit.	
روستدر	Each question carries 10 marks and may have a, b, c as sub questions.	٨
AG	AGAGAGAGAGAG	/
(1.a)	Is the system described by the equation $y(t) = x(2t)$ time invariant or not? Why? [2]	
b)	Give the relation between bandwidth and Rise time of a signal. [3]	
c)	What are the effects of aliasing and how can you minimize the aliasing error? [2]	Λ
	Let $x(s) \neq L(x(t))$, determine the initial value, $x(0)$ and the final value $x(\infty)$, for the	<u> </u>
7 ()	following signal using initial value and final value theorems. [2]	
	$x(s) = \frac{7s+6}{s(3s+5)}$	
f)	VI the stability of a gretom can be found in 7. Transform and what is the condition for	
A promise	causality in terms of Z_{τ} Transform.	Λ
\bigcirc	causality in terms of Z-Transform. Prove that $R_{xy}(\tau) = R_{yx}(-\tau)$. If the customers arrive at a bank according to a Poisson process with mean rate 2 per	<i>/</i>
h)	minute, find the probability that during a 1-minute interval no customer arrives. [3]	
i)	Prove that the power spectral density of a real random process is an even function. [2]	
j)	Find the auto correlation function, whose spectral density is: [3]	
$C_{\wedge} \sim$	$s(\omega) = \begin{cases} \pi, & \omega \le 1 \\ 0, & \text{otherwise} \end{cases}$ $PART B $	Λ
	AG" AG AG AG	/
	(50 Marks)	
2.a)	Prove that the set $sin\ mw_0t$ and $sin\ nw_0t$ are orthogonal for $m\neq n$, where	
	$m = 0.1.2 \infty$ and $n = 0.1.2 \infty$, over to, $t_0 + \frac{2\pi}{2}$.	
$\Lambda \cap \mathbb{N}$	A Guerra A Guerra Surface English A Guerra Sungricon A Guerra Sungrico	
/ b)	m = 0,1,2 ∞ and n = 0,1,2 ∞ , over to, $t_0 + \frac{2\pi}{\omega_0}$. Explain the concepts of unit step function and Signum function. OR [5+5]	
3.a)	Explain causality and physical reliability of a system and explain Paley-wiener criterion. Consider a stable LTI system characterized by the differential equation:	
b)		
	$\frac{dy(t)}{dt} + 2y(t) = x(t). \text{ Find its impulse response.} $ [5+5]	
	AG AG AG AG AG	\triangle
		1



